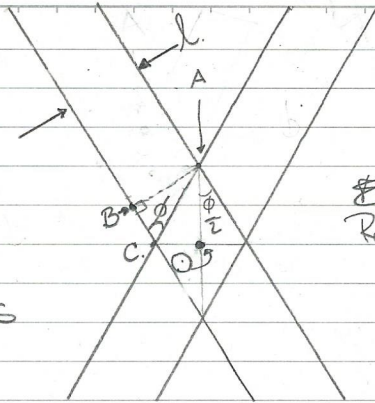
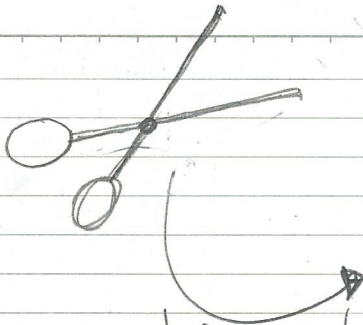


faster than the speed of light??

NO.

DATE Dec 25.



#Esquema fácil.  
Recordemos líneas paralelas.

Assumo que ya tije re es dos barras unidas en el punto O

First

$$\textcircled{1} \sin(\phi) = \frac{AB}{AC}$$

$$\textcircled{2} \cos(\phi/2) = \frac{AO}{AC}$$

thus from 1 & 2 we have.

$$AO = \frac{\cos(\phi/2)}{\sin \phi} AB.$$

Since  $l = AB$  we have that the above equation becomes

$$AO = l \left\{ \frac{\cos \phi/2}{\sin \phi} \right\} \quad \textcircled{3}$$

From trigonometry we can simplify even more and we have.

$$\sin 2\theta = 2 \sin \theta \cos \theta \rightarrow \text{Replace } \theta = \phi/2$$

$$\rightarrow \sin(2(\phi/2)) = 2 \sin \phi/2 \cos \phi/2.$$

$$\text{thus } AO = \frac{l}{2 \sin^2 \phi/2}$$

Si derivo AO con respecto a tiempo obtengo velocidad para el punto A.  $\left| \frac{d}{dt} AO \right|$

$$\frac{d}{dt} \left| AO = \frac{l}{2 \sin^2 \phi/2} \right| \rightarrow v = -\frac{l \cos \phi/2}{4 \sin^2(\phi/2)} \frac{d\phi}{dt} = v = -\frac{l \cos \phi/2}{4 \sin^2(\phi/2)} \omega$$

donde  $\omega$  es la velocidad angular, y  $\phi$  es la variable y  $l$  es constante.  $\omega$  y  $l$  son constantes.